

Current leads for superconducting magnets of ADS injector I

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Abstract: In an ADS injector I, there are five superconducting magnets in each cryomodule. Each superconducting magnet contains a solenoid magnet, a horizontal dipole corrector (HDC), and a vertical dipole corrector (VDC). Six current leads will be required to power the electrical circuits, from room temperature to the 2.1 K liquid helium bath: two leads carry 100 A current for the solenoid magnet while the other four carry 12 A for the HDC and the VDC. This paper presents the principle of current lead optimization, which includes the cooling methods, the choice of material and structure, and the issues for current lead integration.

Key words: current lead, heat load, superconducting magnet

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1 Introduction

ADS is an abbreviation for the Accelerator Driven Sub-critical System. The main purpose of developing the ADS lies in separating and transmuting irradiated nuclear fuel [1]. Three major units constitute the separation and transmutation system; that is, the accelerator unit, target unit, and the separation unit. The schematic layout for ADS injection I is shown in Figure 1. The detailed cryomodule drawing, as shown in Fig. 1, demonstrates that there are six superconducting spoke cavities, five superconducting magnets, and five beam position monitors connected in series along the beam line. The proton beam energy will be upgraded from inlet 3 MeV to outlet 5 MeV by these six cavities. On the other hand, the five superconducting magnets will provide the

beam focus and orbit correction. As an important component, the superconducting magnet prototype has been perfectly designed and it successfully passed the vertical test in November 2012 [2].

Current leads are applied to deliver room-temperature electrical power to cryogenic superconducting magnets that are immersed in liquid helium. The temperature difference between the two ends and the joule heat produced by the excited current make the current leads the dominant heat source in the cryogenic system. To simplify the cryogenic system, the superconducting magnet will use the same state liquid helium for the spoke cavity and the liquid helium will sink into the magnet by its own gravity. Conduction cooled current leads are chosen because the negative pressure of 30 mbar, 2.1 K liquid helium cannot provide enough pre-

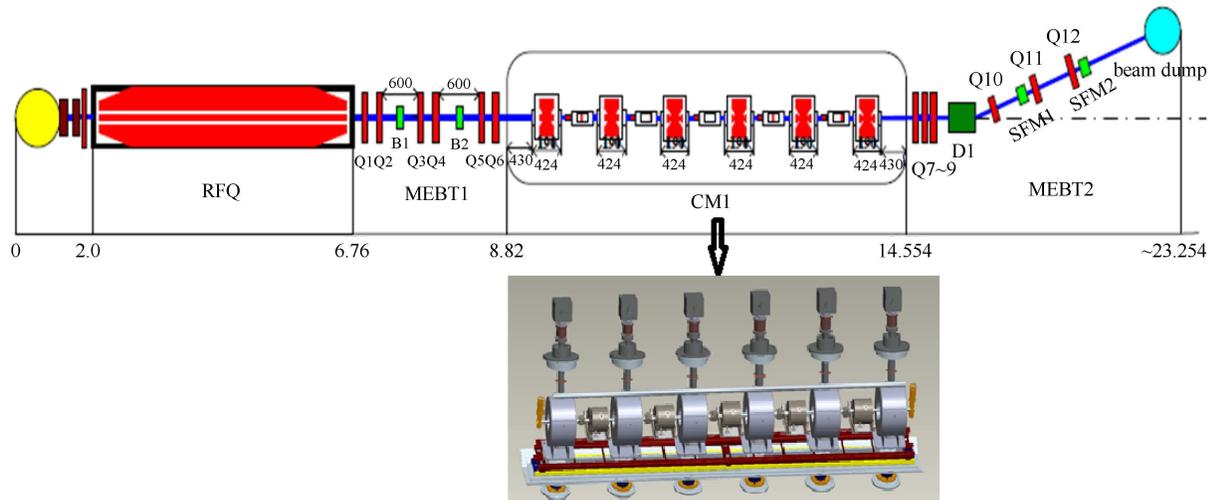


Fig. 1. Schematic layout for ADS injection I and the detailed cryomodule.

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ssure, as could the traditional gas cooled current leads. Unlike the traditional conduction-cooled current leads, the current lead that will be used consists of a pure copper coated brass rod, where the brass core has a constant diameter while the thickness of the coated pure copper varies along the length. Two stage thermal anchors, one connected to 5 K helium gas shield and another connected to the 80 K liquid nitrogen shield, are installed on the leads to intercept the heat leak into the cryogenic system in steps.

2 Conduction-cooled current leads

The superconducting magnets and the spoke cavities will be immersed in a 30 mbar, 2.1 K liquid helium bath. Conduction cooled leads will be chosen for the magnets. The calculation cases here used for the lead optimization will be separated into three temperature segments: from 300 K to 80 K, from 80 K to 5 K, and from 5 K to 2 K.

Figure 2 shows a current lead with a length of L , a cross section area of A , carrying current of I . T_0 and T_1 represent the temperature of the cold and warm end. Suppose the lead has uniform temperature distribution on cross section, $\lambda(T)$ and $\rho(T)$ are the thermal conductivity and the electric resistivity of the material, Q_0 is the heat flux at point 0.

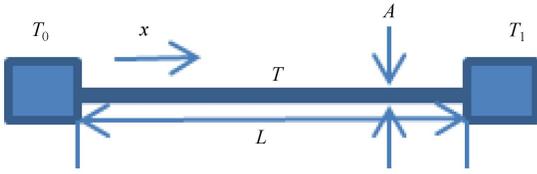


Fig. 2. Schematic layout of a conduction current lead.

Consider a short length current lead from the cold point T_0 to point x , the heat flux Q_0 includes an electric dissipation term and a conduction heat term, which can be written as [3]:

$$Q_0 = A\lambda(T)\frac{dT}{dx} + \frac{I^2}{A} \int_0^x \rho(x)dx. \quad (1)$$

The optimized length x is in that situation when the heat flux Q_0 gets a minimum value, which should meet:

$$\rho \frac{I^2}{A} + A \frac{d}{dx} \left(\lambda \frac{dT}{dx} \right) = 0. \quad (2)$$

Set $u = dT/dx$, Eq. (2) can be integrated as:

$$u = \frac{dT}{dx} = \frac{B}{\lambda} - \frac{I^2}{\lambda A^2} \rho x, \quad (3)$$

where B is the integral constant. Then, we have

$$u^2 = \left(\frac{dT}{dx} \right)^2 = \frac{I^2}{A^2 \lambda^2} \left[C - 2 \int_{T_0}^T \rho \lambda dT \right]. \quad (4)$$

Noting that, the second order small amount is omitted here, the driven constant $C = B^2 A^2 / I^2$, also $x = dx = \lambda / B dT$ have been used here when x near equal to 0. Constant C can be got from (4) and (1) for $x=0$ and $T=T_0$, which is

$$Q_0 = A\lambda(T_0) \left(\frac{dT}{dx} \right)_0 = I\sqrt{C}. \quad (5)$$

The optimized factor for the current lead can be written as

$$\frac{L}{A} = \frac{1}{I} \int_{T_0}^{T_1} \frac{\lambda}{\sqrt{C - 2 \int_{T_0}^T \rho \lambda dT}} dT. \quad (6)$$

This can be used to optimize the length of the current lead for a given current and cross section area of A . In Eq. (6), constant C must meet

$$C \geq 2 \int_{T_0}^T \rho \lambda dT. \quad (7)$$

From (5), the minimum heat low temperature side is

$$(Q_0)_{\min} = I \sqrt{2 \int_{T_0}^{T_1} \rho \lambda dT}. \quad (8)$$

Then the optimized factor for the current lead can be rewritten as

$$\frac{L}{A} = \frac{1}{I} \int_{T_0}^{T_1} \frac{\lambda}{\sqrt{2 \int_T^{T_1} \rho \lambda dT}} dT. \quad (9)$$

For pure metals, the thermal conductivity $\lambda(T)$ and the electric resistivity $\rho(T)$ are inverse related, which meets Wiedemann-Franz law

$$k(T)\rho(T) = L_0 T. \quad (10)$$

Here, $L_0 = 2.45 \times 10^{-8} \text{ W}\Omega\text{K}^{-2}$. Then, the above Eq. (8) can be rewritten as

$$(Q_0)_{\min} = I \sqrt{L_0 (T_1^2 - T_0^2)}. \quad (11)$$

When optimizing the current length, Eq. (11) can be rewritten as

$$\frac{L}{A} = \frac{1}{I} \int_{T_0}^{T_1} \frac{\lambda}{\sqrt{L_0 (T_1^2 - T_2^2)}} dT. \quad (12)$$

3 ADS current leads concept design

Although pure copper is widely accepted to be a good conductor of electricity and it has ρ small electric resistivity and high conductivity in comparison with many other metals, the use of high purity materials tends to make the leads unstable and liable to burn out at currents only slightly above the optimum [2]. To achieve low heat load to the cryogenic system and to guarantee the

stability of the lead, hybrid conductor current leads will be chosen; as in that of the CERN LHC dipole correctors and the DESY XFEL superconducting magnets [4]. The hybrid conductor is a copper plated brass rod: the brass has a fixed diameter of 4 mm while different thickness of coated pure copper can be selected in the required section in order to adjust the total length of the current leads, as illustrated in (9) and (12). Fig. 3 is a sketch of a current lead with pure copper coated on a brass core. The pure copper has RRR of 120 while brass has RRR only of 5. The electric resistivity and thermal conductivity properties at different temperatures for pure copper and brass core are revealed in Fig. 4. It can be seen from the figure, at any case, whether at high or at low temperature, that the resistivity of the pure copper is about two orders lower than that of the brass copper and it carries almost all of the loaded current. At the same time, the coated pure copper has a high heat conductivity, whether at high or low temperature, when compared with that of brass copper, so the pure copper is the main conduction heat source to the low temperature side. While the brass copper core, which is a poorer thermal conductor with high resistivity, will serve both as a heat sink and a support for the pure copper to prevent of the current lead overheat in case of carrying excess current.

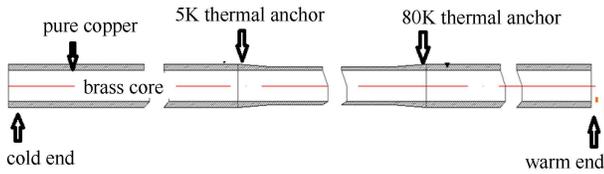


Fig. 3. Copper plated brass rod current lead.

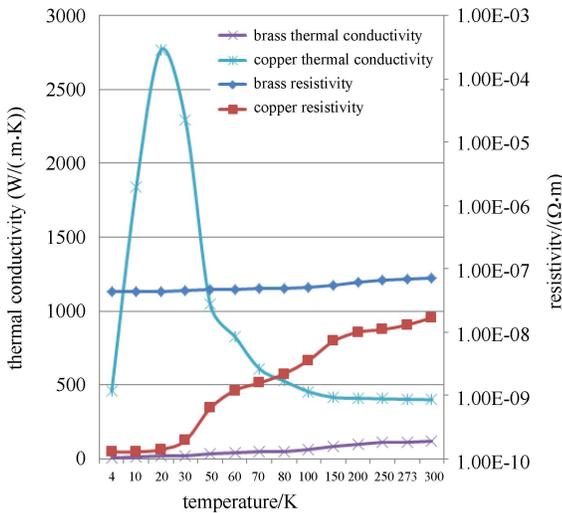


Fig. 4. Electric resistivity and thermal conductivity of pure copper and brass.

As shown in Fig. 3, for ADS superconducting solenoid magnet, two steps of thermal anchors, 80 K and 5 K,

are designed to further intercept the heat leak towards the cryogenic system. The lead is optimized in each of the three segments, the temperature range changes from 300 K to 80 K, from 80 K to 5 K and from 5 K to 2 K. In order to reduce the heat to the 2 K cryogenic system, the current lead was optimized at 100 A from (8). The required length at each thermal section was optimized according to (12). The optimized results are listed in Table 1. It is noted here that the temperature at each thermal anchor is higher than cold shield because there is a temperature increase through a copper braiding that connects the cold shield to the thermal anchor. In the 8–85 K segment, a smaller cross section coated pure copper is chosen in order to adjust the total length of the current lead.

Table 1. Optimized results of 100 A current leads (D_1 and D_2 represent the cross-sectional area of the brass core, before and after copper plating, respectively. Q_{100A} is the heat load for the current lead at 100 A. L is the length of current lead.)

	D_1 /mm	D_2 /mm	Q_{100A} /W	L /mm
2–8 K	4	5.65	0.2	600
8–85 K	4	4.89	1.68	600
85–300 K	4	5.65	1.83	500

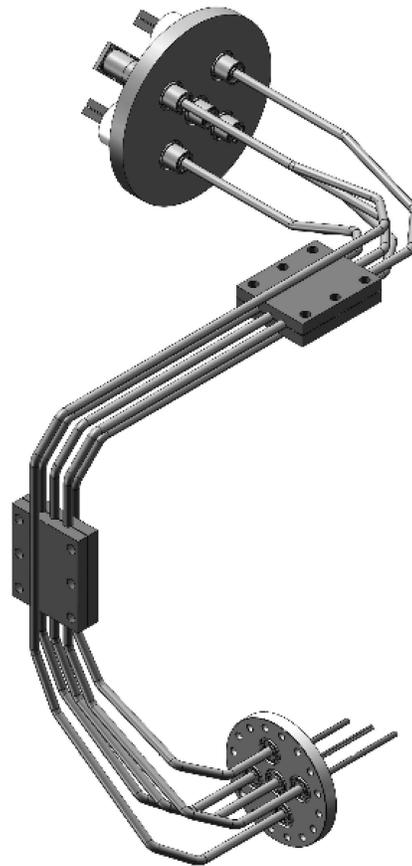


Fig. 5. 3D engineering drawing of the current lead.

4 Engineering design

The insulation of the current leads is crucial and necessary. The lead is designed as an electrically insulated hybrid conductor contained in a thin stainless steel tube welded to the supporting flanges at the two extremities of 300 K and 2 K. The electrical insulation is made with a Kapton tube between the stainless steel tube and the lead. The cold end of the stainless steel tube is open to the liquid helium bath and static helium gas stratifies inside the tube. There is a small gas tank at the room temperature to guarantee leak tightness between the helium gas and the outside environment.

To further intercept the heat leak towards the cryogenic system, 80 K and 5 K thermal anchors are made by connecting together the lead and the cryogenic lines that transport liquid nitrogen or helium. First, the leads are clamped between two copper plates with grooves for housing the lead, and then the copper plates are joined with the cryogenic transporting lines by copper woven

straps. Fig. 5 is a 3D engineering drawing of the current leads. With the participation of copper, which has perfect electrical conductivity, this design assures good heat transfer from the tubes carrying cryogenic liquid to the leads. Consequently, the temperatures at the place of the thermal anchors are almost the same as, or a little bit higher than, that of the cryogenic transporting lines. In view of the rigid space constraints imposed by the cryostat's configuration, the current leads are pre-shaped as required for integration in the cryostat.

5 Conclusion

As an important component of superconducting magnets for ADS, current leads have been perfectly designed. In order to reduce the total heat load to the cryogenic system, the operation current for the solenoid is 100 A, the maximum current for the corrector coils is 20 A. The lengths of the current leads are optimized according to the cross section area for the three segments between the thermal anchors.

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